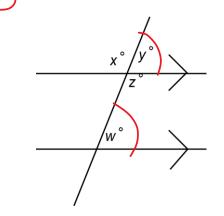
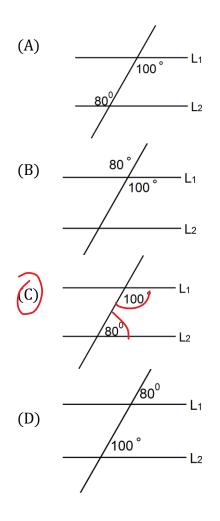
Name:\_\_\_\_\_

## 10 Part I: Multiple Choice. Place the correct answer in the corresponding blank at the end of this section.

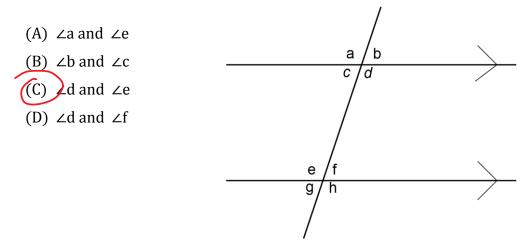
- 1. What is the relationship between  $\angle w$  and  $\angle y$ ?
  - (A) Alternate Interior Angles
  - (B) Corresponding Angles
  - (C) Same Side Interior Angles
  - (D) Vertically Opposite Angles



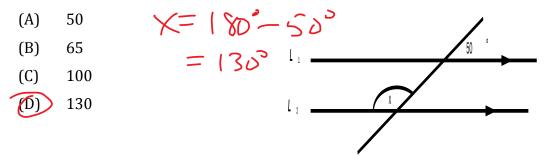
2. Which sets of lines  $(L_1, L_2)$  are parallel?



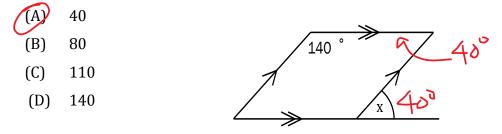
3. Which pair of angles are alternate interior?



4. If  $L_1 \parallel L_2$  in the diagram below, what is the value of x, in degrees?



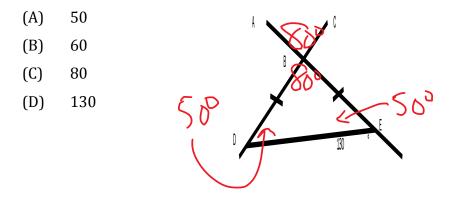
5. In the diagram below, what is the value of *x*, in degrees?



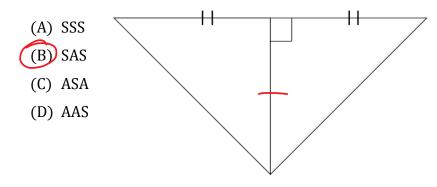
6. Students were asked to provide statements and reasons to prove the conjecture: "Alternate exterior angles formed by the intersection of a transversal and parallel lines are congruent". What is the error in this proof?

	Prove: $\angle a = \angle$	2.d	a b d d	reterior renior
		Statements	Reason	
	Step 1	$\angle b = \angle c$	Corresponding Angles	
	Step 2	$\angle a = \angle b$	Vertically Opposite	
	Step 3	$\angle c = \angle d$	Vertically Opposite	
$\geq$	Step 4	$\angle a = \angle d$	Substitution	
(A) Step 1				
(B) Step 2				
(C) Step 3				
(D) Step 4				

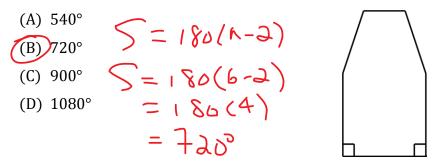
7. In the diagram below, what is the measure of  $\angle ABC$ , in degrees?



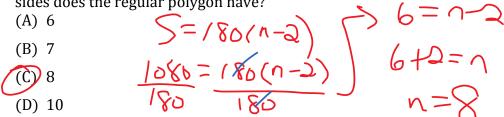
8. Which congruency relationship proves the two triangles congruent?



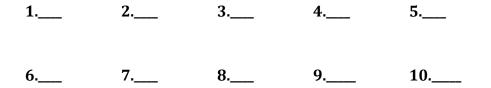
9. What is the sum of the measures of the interior angles of the polygon?



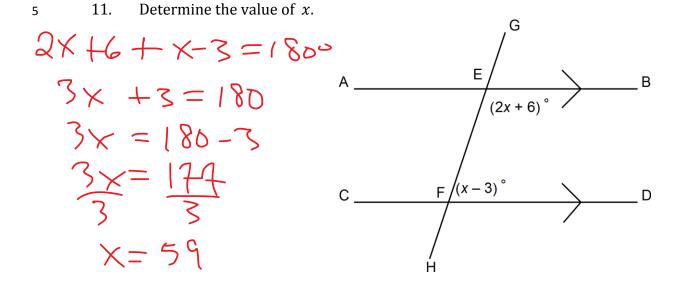
10. The sum of the measures of the interior angles of a regular polygon is 1080°. How many sides does the regular polygon have?



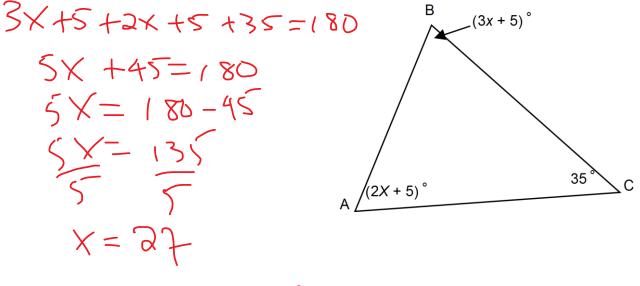
Answers to multiple choice.



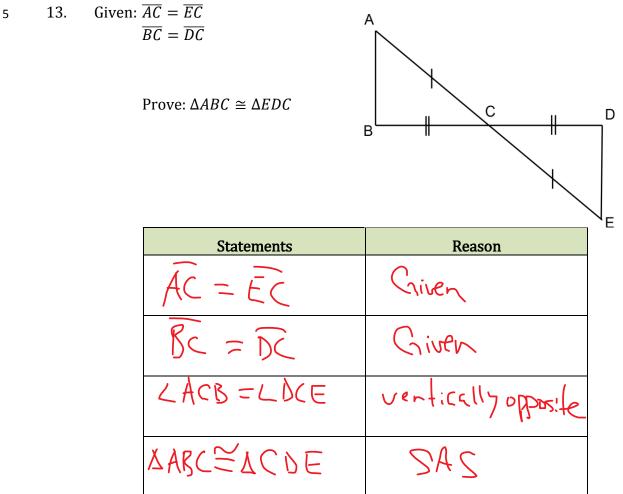
## 20 Part II: Constructed Response. Answer each question in the space provided. Show all workings.



5 12. Determine the measure of  $\angle A$ .



 $L = 2(27) + 5 = 55^{\circ}$ 



5 14. Given: 
$$\angle DAB = \angle DCB$$
  
 $\angle ADB = \angle CDB$   
Prove:  $\triangle ADB \cong \triangle CDB$   
Statement Reason  
 $\angle DAB = \angle DCB$  Given  
 $\angle ADB = \angle CDB$  Given  
 $DR = \overline{DR}$  Common Side  
 $\triangle ADB \cong \triangle CDB$  AAS